

# **MIPS Calling Convention and the Call Stack**

**CS 64: Computer Organization and Design Logic  
Lecture #10  
Winter 2019**

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# Administrative

- Lab 5 this week
- You can review your midterm with a TA during office hours
  - *Last name: A thru L*      **Bay-Yuan Hsu**    **F 11 am – 1 pm**
  - *Last name: M thru Z*      **Shiyu Ji**            **F 3 pm – 5 pm**
- When reviewing your exams:
  - Do not take pictures, do not copy the questions
  - TA cannot change your grade
    - If you have a legitimate case for grade change, the prof. will decide
    - Legitimate = When we graded, we added the total points wrong
    - Not legitimate = Why did you take off  $N$  points on this question????

# Lecture Outline

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- MIPS Calling Convention
  - Function calling function example
  - Recursive function example

# MIPS Call Stack

- We know what a Stack is...
- A “**Call Stack**” is used for storing *the return addresses* of the various **functions** which have been *called*
- When you **call** a function (e.g. `jal funcA`), the address that we need to return to is **pushed** into the call stack.

...

*funcA* does its thing... then...

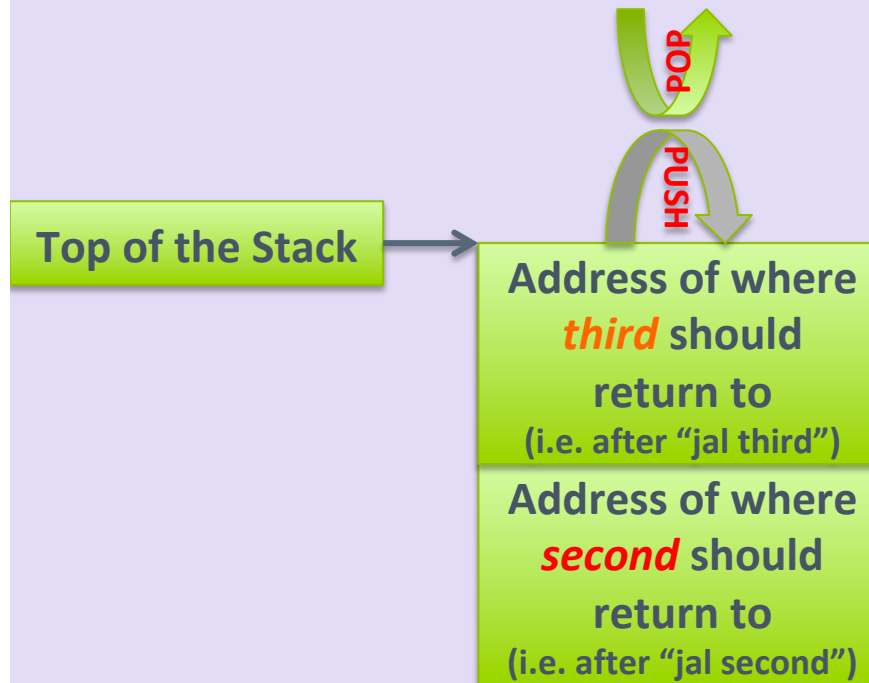
...

**The function needs to return.**

So, the address is **popped** off the call stack

# MIPS Call Stack

```
void first()  
{  
    second()  
    return; }  
  
void second()  
{  
    third ();  
    return; }  
  
void third()  
{  
    fourth ();  
    return; }  
  
void forth()  
{  
    return; }
```



```
fourth:  
    jr $ra
```

```
third:  
    push $ra  
    jal fourth  
    pop $ra  
    jr $ra
```

```
second:  
    push $ra  
    jal third  
    pop $ra  
    jr $ra
```

```
first:  
    jal second
```

```
li $v0, 10  
syscal
```

### Why *addiu*?

Because there is no such thing as a negative memory address

### AND

we want to avoid triggering a processor-level **exception on overflow**

```
fourth:  
jr $ra
```

```
third:  
addiu $sp, $sp, -4  
sw $ra, 0($sp)  
jal fourth  
lw $ra, 0($sp)  
addiu $sp, $sp, 4  
jr $ra
```

```
second:  
addiu $sp, $sp, -4  
sw $ra, 0($sp)  
jal third  
lw $ra, 0($sp)  
addiu $sp, $sp, 4  
jr $ra
```

```
first:  
jal second
```

```
li $v0, 10  
syscall
```

```
fourth: Pseudo-code  
jr $ra
```

```
third:  
push $ra  
jal fourth  
pop $ra  
jr $ra
```

```
second:  
push $ra  
jal third  
pop $ra  
jr $ra
```

```
first:  
jal second
```

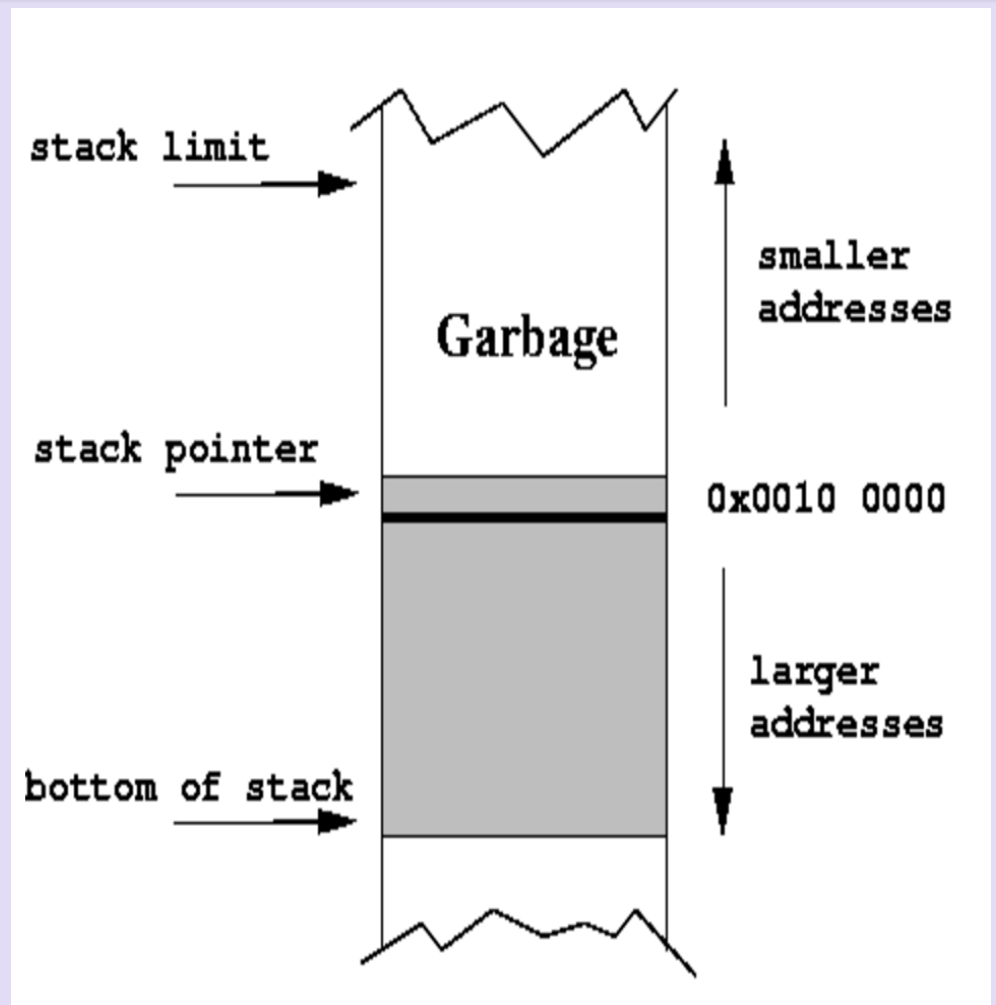
```
li $v0, 10  
syscal
```

# The MIPS Convention In Its Essence

- Remember: Preserved vs Unpreserved Regs
  - **Preserved:** \$s0 - \$s7, and \$ra, and \$sp (by default)
  - **Unpreserved:** \$t0 - \$t9, \$a0 - \$a3, and \$v0 - \$v1
- 
- Values held in **Preserved Regs** immediately before a function call **MUST** be the same immediately after the function returns.
  - Values held in **Unpreserved Regs** must always be assumed to change after a function call is performed.
    - \$a0 - \$a3 are for passing arguments into a function
    - \$v0 - \$v1 are for passing values from a function

# Reminder: How the Stack Works

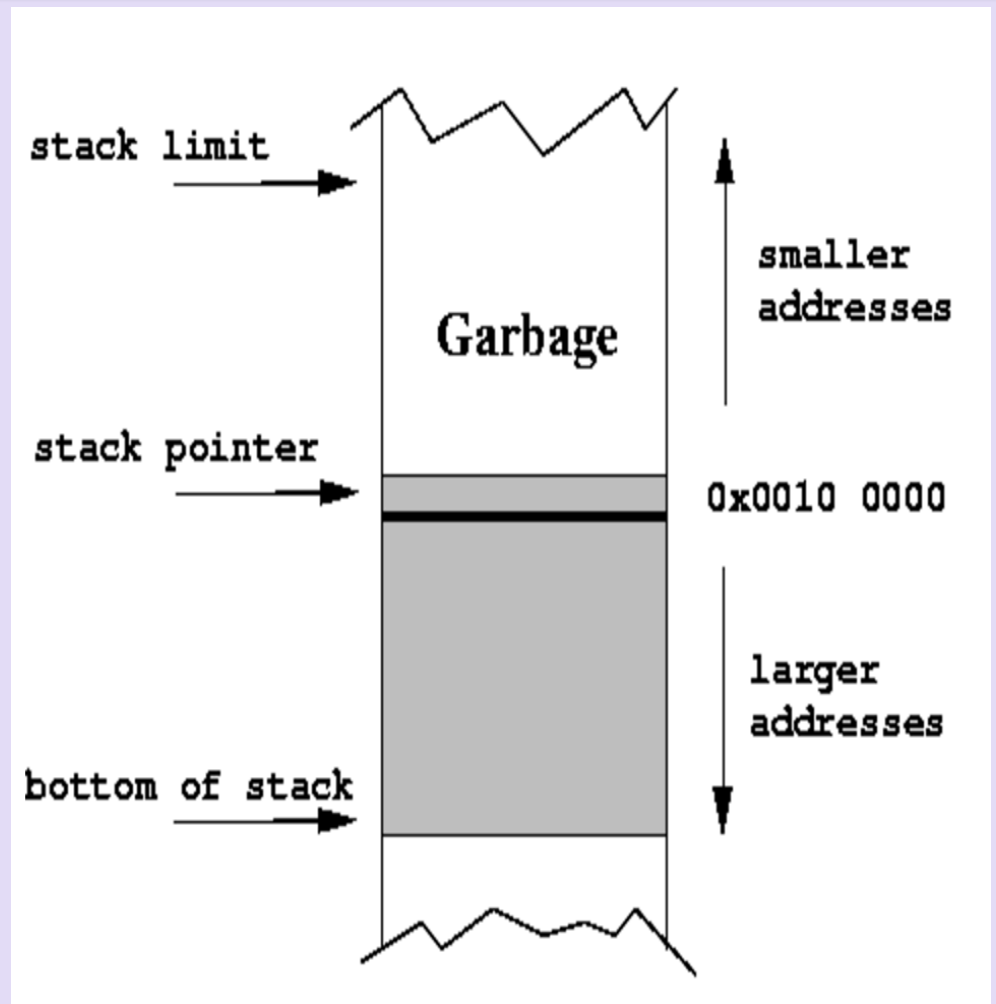
- Upon reset,  $\$sp$  points to the “bottom of the stack” – the largest address for the stack
  - (0x7FFF FFFC, see MIPS RefCard)
- As you move  $\$sp$ , it goes from high to low address
- The “top of the stack” is the stack limit
  - (0x1000 8000, see MIPS RefCard)





# Reminder: How the Stack Works

- When you want to store some  $N$  registers into the stack, the **convention** says you must:
  - A. Make room in the stack (i.e. move  $\$sp$   $4 \times N$  places)
  - B. Then store words accordingly

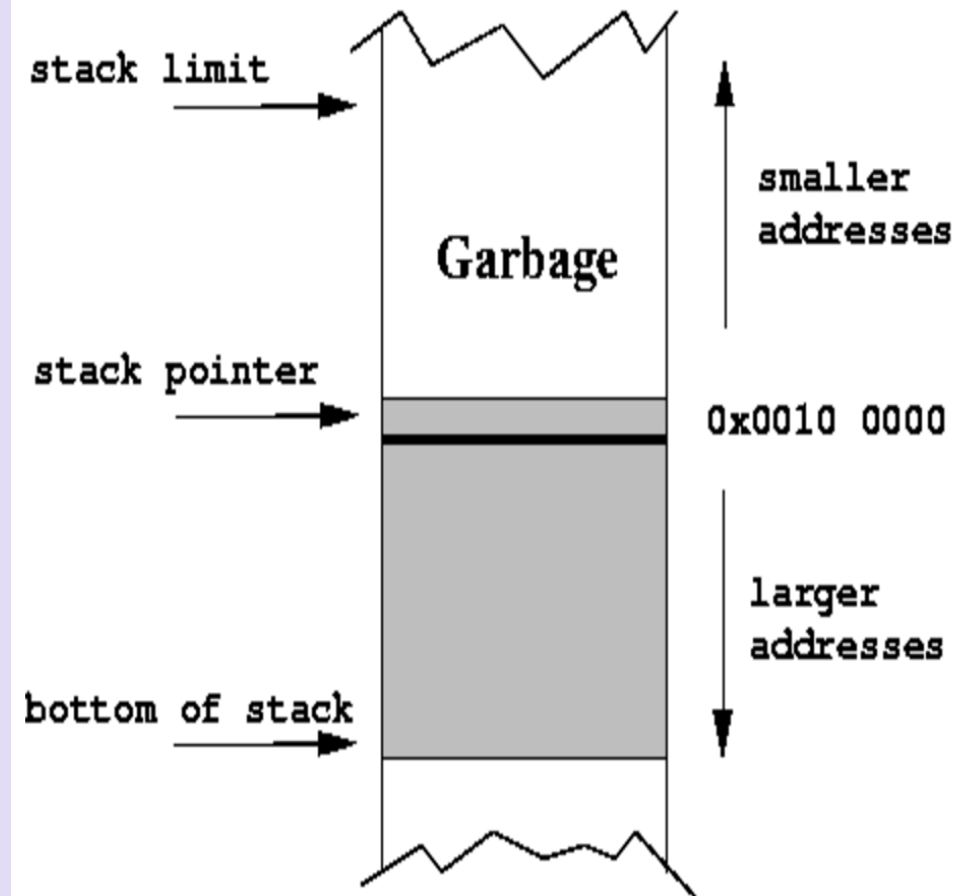
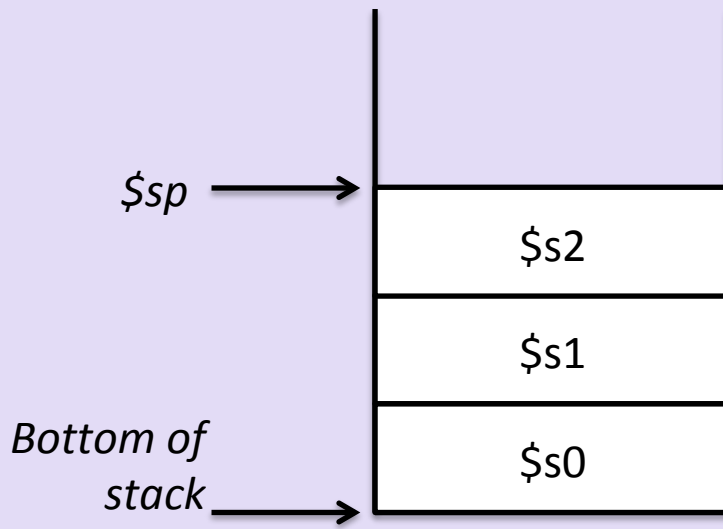


# Reminder: How the Stack Works

## Example:

You want to store  $\$s0$ ,  $\$s1$ , and  $\$s2$ :

```
addiu $sp, $sp, -12    # 'cuz 3 x 4 = 12
sw $s0, 8($sp)
sw $s1, 4($sp)
sw $s2, 0($sp)
```



# An Illustrative Example

```
...  
...  
int subTwo(int a, int b)  
{  
    int sub = a - b;  
    return sub;  
}  
  
int doSomething(int x, int y)  
{  
    int a = subTwo(x, y);  
    int b = subTwo(y, x);  
    return a + b;  
}  
...  
...
```

## subTwo doesn't call anything

What should I map **a** and **b** to?

***\$a0** and **\$a1***

Can I map **sub** to **\$t0**?

*Ok, b/c I don't care about **\$t\***  
(not the best tactic, tho...)*

*Eventually, I have to have **sub** be **\$v0***

## doSomething DOES call a function

What should I map **x** and **y** to?

*Since we want to preserve them across  
the call to subTwo, we should map them to  
**\$s0** and **\$s1***

What should I map **a** and **b** to?

*"**a+b**" has to eventually be **\$v0**. I should  
make at least **a** be a preserved reg (**\$s2**). Since  
I get **b** back from a call and there's no other  
call after it, I can likely get away with not  
using a preserved reg for **b**.*

**subTwo:**

```
sub $v0, $a0, $a1
jr $ra
```

**doSomething:**

```
# preserve for the sake
# of whatever called
# doSomething
```

```
addiu $sp, $sp, -16
sw $s0, 0($sp)
sw $s1, 4($sp)
sw $s2, 8($sp)
sw $ra, 12($sp)
```

```
move $s0, $a0
move $s1, $a1
```

**jal subTwo**

```
move $s2, $v0
```

```
move $a0, $s1
move $a1, $s0
```

**jal subTwo**

```
add $v0, $v0, $s2
```

```
# pop back the preserved
# so that they're ready
# for whatever called
# doSomething
```

```
lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
lw $ra, 12($sp)
addiu $sp, $sp, 16
```

```
jr $ra
```

```
int subTwo(int a, int b)
{
    int sub = a - b;
    return sub;
}
```

```
int doSomething(int x, int y)
{
    int a = subTwo(x, y);
    int b = subTwo(y, x);
    return a + b; }
```

```

subTwo:
sub $v0, $a0, $a1
jr $ra

```

```

doSomething:
addiu $sp, $sp, -16
sw $s0, 0($sp)
sw $s1, 4($sp)
sw $s2, 8($sp)
sw $ra, 12($sp)

```

```

move $s0, $a0
move $s1, $a1

```

```

jal subTwo
move $s2, $v0

```

```

move $a0, $s1
move $a1, $s0

```

```

jal subTwo

```

```

add $v0, $v0, $s2

```

```

lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
lw $ra, 12($sp)
addiu $sp, $sp, 16

```

```

jr $ra

```

```

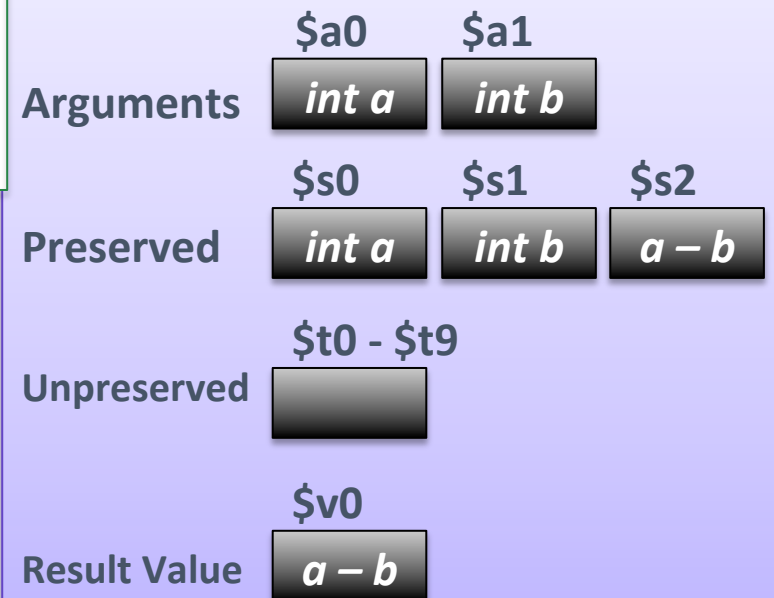
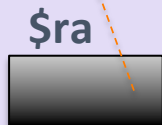
int subTwo(int a, int b)
{
    int sub = a - b;
    return sub;
}

```

```

int doSomething(int x, int y)
{
    int a = subTwo(x, y);
    int b = subTwo(y, x);
    ...
    return a + b;
}

```



```

subTwo:
sub $v0, $a0, $a1
jr $ra

```

```

doSomething:
addiu $sp, $sp, -16
sw $s0, 0($sp)
sw $s1, 4($sp)
sw $s2, 8($sp)
sw $ra, 12($sp)

```

```

move $s0, $a0
move $s1, $a1

```

```

jal subTwo
move $s2, $v0

```

```

move $a0, $s1
move $a1, $s0

```

```

jal subTwo

```

```

add $v0, $v0, $s2

```

```

lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
lw $ra, 12($sp)
addiu $sp, $sp, 16

```

```

jr $ra

```

```

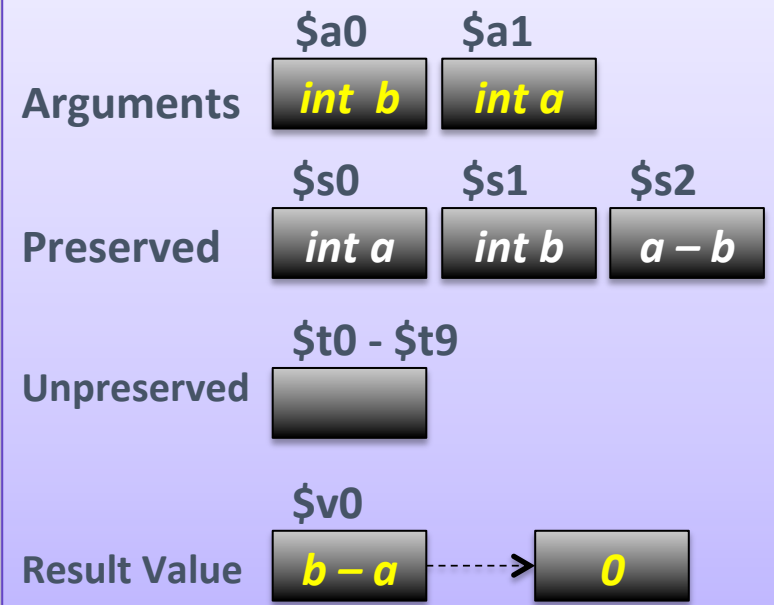
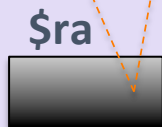
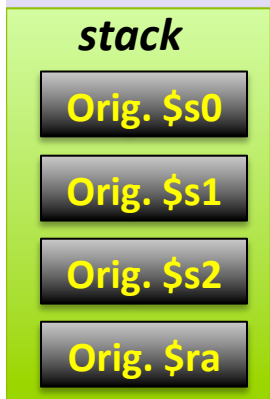
int subTwo(int a, int b)
{
    int sub = a - b;
    return sub;
}

```

```

int doSomething(int x, int y)
{
    int a = subTwo(x, y);
    int b = subTwo(y, x);
    ...
    return a + b;
}

```



```

subTwo:
sub $v0, $a0, $a1
jr $ra

```

```

doSomething:
addiu $sp, $sp, -16
sw $s0, 0($sp)
sw $s1, 4($sp)
sw $s2, 8($sp)
sw $ra, 12($sp)

```

```

move $s0, $a0
move $s1, $a1

```

```

jal subTwo
move $s2, $v0

```

```

move $a0, $s1
move $a1, $s0

```

```

jal subTwo

```

```

add $v0, $v0, $s2

```

```

lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
lw $ra, 12($sp)
addiu $sp, $sp, 16

```

```

jr $ra

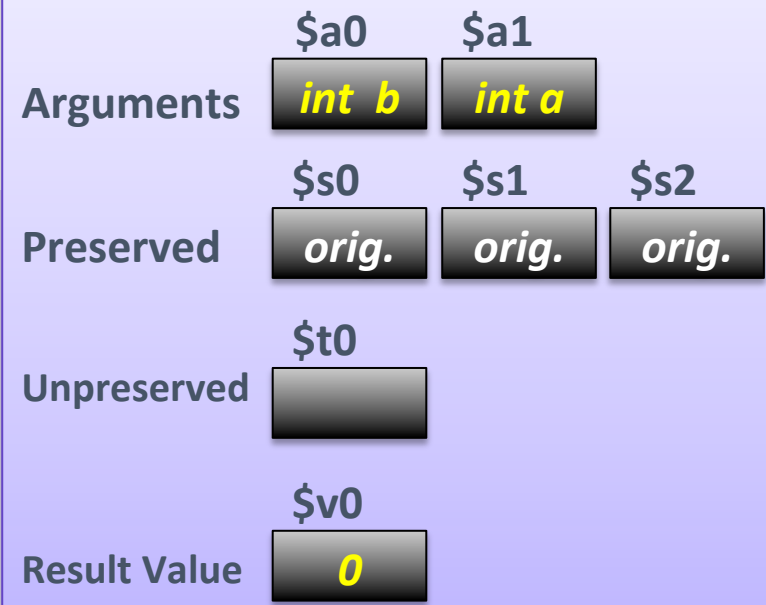
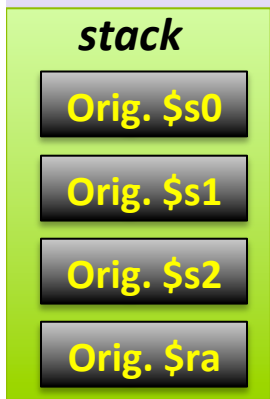
```

```

int subTwo(int a, int b)
{
    int sub = a - b;
    return sub;
}

int doSomething(int x, int y)
{
    int a = subTwo(x, y);
    int b = subTwo(y, x);
    ...
    return a + b;
}

```



# Lessons Learned

- We passed arguments into the functions using  $\$a^*$
- We used  $\$s^*$  to work out calculations in registers *that we wanted to preserve*, so we made sure to save them in the call stack
  - These var values DO need to live beyond a call
  - In the end, the original values were returned back
- We *could* use  $\$t^*$  to work out some calcs. in regs *that we did not need to preserve*
  - These values DO NOT need to live beyond a function call
- We used  $\$v^*$  as regs. to return the value of the function



# Another Example Using Recursion

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# Recursive Functions

- This same setup handles nested function calls and recursion
  - i.e. By saving `$ra` methodically on the stack
- Example: `recursive_fibonacci.asm`

# recursive\_fibonacci.asm

Recall the Fibonacci Series: 0, 1, 1, 2, 3, 5, 8, 13, etc...

$$fib(n) = fib(n - 1) + fib(n - 2)$$

In C/C++, we might write the recursive function as:

```
int fib(int n)
{
  if (n == 0)
    return (0);
  else
    if (n == 1)
      return (1);
    else
      return (fib(n-1) + fib(n-2));
}
```

*Base cases* {

# recursive\_fibonacci.asm

- We'll need at least 3 registers to keep track of:
  - The (single) input to the call, i.e. var **n**
  - The output (or partial output) to the call
  - The value of **\$ra** (since this is a recursive function)
- We'll use  $\$s^*$  registers b/c **we need to preserve these vars/regs. beyond the function call**

If we make  $\$s0 = n$  and  $\$s1 = \text{fib}(n - 1)$

- Then we need to save  $\$s0$ ,  $\$s1$  and  $\$ra$  on the stack in the “fibonnaci” function
  - So that we do not corrupt/lose what's already in these regs

# recursive\_fibonacci.asm

- So, we start off in the **main:** portion
  - **n** is our argument into the function, so it's in **\$a0**
- We'll put our number (example: 7) in \$a0 and then call the function "fibonacci"
  - i.e. 

```
li $a0, 7
jal fibonacci
```

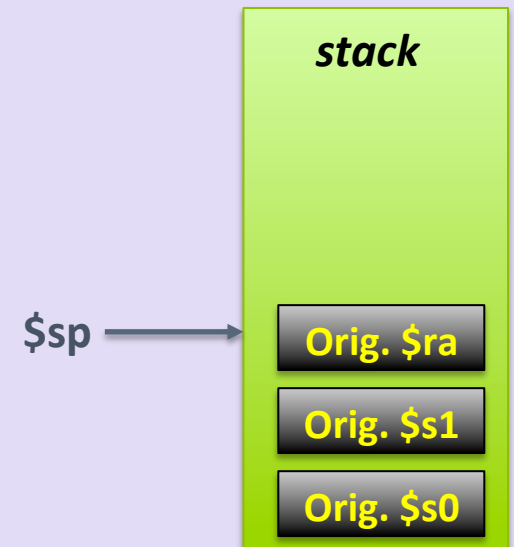
# recursive\_fibonacci.asm

## Inside the function "fibonacci"

- **First:** Check for the base cases
  - Is **n** ( $\$a0$ ) equal to 0 or 1?
  - Branch accordingly

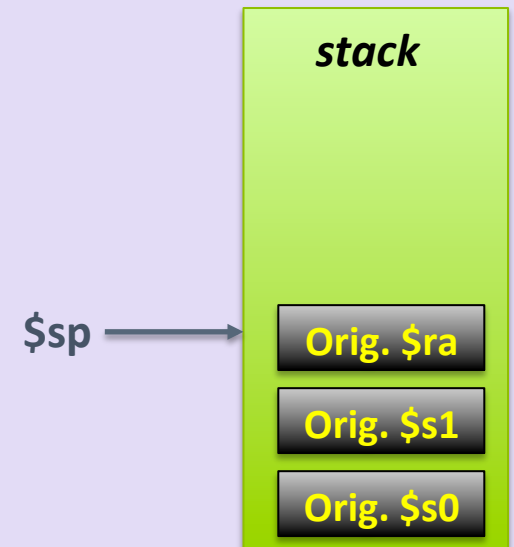
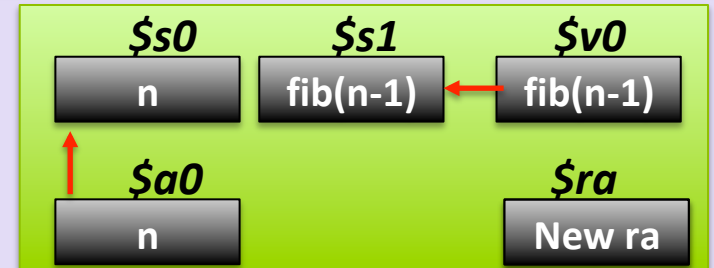


- **Next:** Do the recursion --- but first...!  
We need to plan for 3 words in the stack
  - $\$sp = \$sp - 12$
  - **Push** 3 words in (i.e. 12 bytes)
  - The order by which you put them in does *not strictly* matter, *but* it makes more “organized” sense to **push  $\$s0$ , then  $\$s1$ , then  $\$ra$**



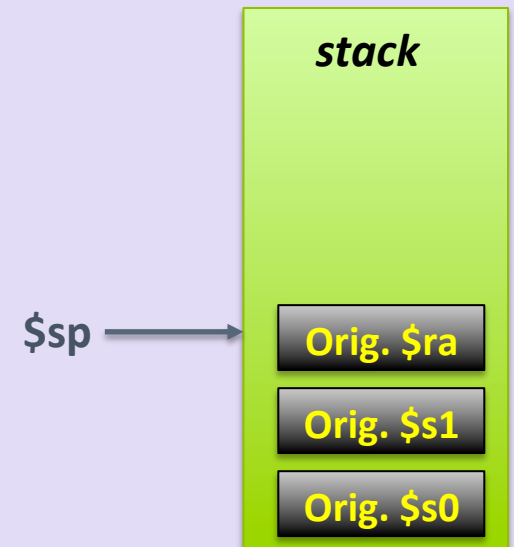
# recursive\_fibonacci.asm

- **Next:** calculate fib( $n - 1$ )
  - Call recursively & copy output (\$v0) in \$s1
- **Next:** calculate fib( $n - 2$ )



# recursive\_fibonacci.asm

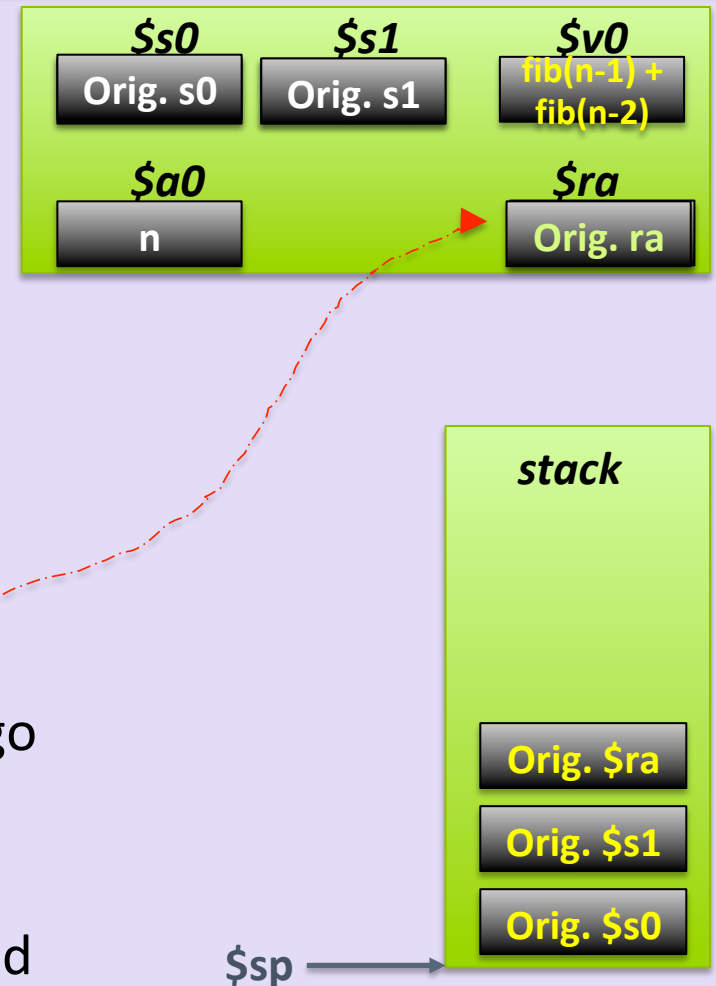
- **Next:** calculate  $\text{fib}(n - 1)$ 
  - Call recursively & copy output ( $\$v0$ ) in  $\$s1$
- **Next:** calculate  $\text{fib}(n - 2)$ 
  - Call recursively & add  $\$s1$  to the output ( $\$v0$ )





# recursive\_fibonacci.asm

- **Next:** calculate  $\text{fib}(n - 1)$ 
  - Call recursively & copy output ( $\$v0$ ) in  $\$s1$
- **Next:** calculate  $\text{fib}(n - 2)$ 
  - Call recursively & add  $\$s1$  to the output ( $\$v0$ )
- **Next:** restore registers
  - Pop the 3 words back to  $\$s0$ ,  $\$s1$ , and  $\$ra$
- **Next:** return to caller (i.e. main)
  - Issue a **jr  $\$ra$**  instruction
- Note how when we leave the function and go back to the “callee” (main), we did not disturb what was in the registers previously
- And now we have our output where it should be, in  **$\$v0$**



# A Closer Look at the Code

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- Open **recursive\_fibonacci.asm**

# Tail Recursion

- Check out the demo file [tail\\_recursive\\_factorial.asm](#) at home
- What's special about the *tail recursive functions* (see example)?
  - **Where the recursive call is the very last thing in the function.**
  - With the right optimization, it can use **a constant stack space (no need to keep saving \$ra over and over – it's more efficient)**

```
int TRFac(int n, int accum)
{
    if (n == 0)
        return accum;
    else
        return TRFac(n - 1, n * accum);
}
```

For example, if you said:  
TRFac(4, 1)

Then the program would **return**:  
TRFac(3, 4), then return  
TRFac(2, 12), then return  
TRFac(1, 24), then return  
TRFac(0, 24), then, since **n = 0**,  
**It would return 24**

# Your To-Dos

- Again, MAKE SURE you've read the **MIPS Calling Convention PDF** from our class website
- Go over the **fibonnaci.asm** and **tail\_recursive\_factorial.asm** programs
- Next time: Intro to Digital Logic

**</LECTURE>**